

### Sample Size Rationale For Medical Device Package Validation



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# Agenda

- Introduction / Definitions
- Calculators
- Solution Case Studies
- Statistics Overview
- Sampling Error
- Sample Size for Individual Values
- Attribute Sampling Plans
- References





## Introduction

- There are important considerations to be made when determining sample sizes for specific applications.
- This presentation will offer examples of statisticallybased solutions from actual customer inquiries submitted to a package testing laboratory.
- Sample size determination is an important step to be executed prior to packaging study implementation and should help to ensure that the information obtained will be useful for decision making.



# Introduction

- Sample Size Calculators
  - Qualitative (Attribute)
  - Quantitative (Risk Level)



- www.westpak.com/page/resources/calculator
  - <u>Sample Size for Comparing Means</u>
  - <u>Sample Size for Attributes when C = 0</u>
  - <u>Sample Size for Individuals</u>





## **Definitions – Qualitative Testing**

- Qualitative Testing
  - Test to identify whether a particular failure is present, but does not give an indication of how much is present.
  - Data that can be observed but not measured.
  - Examples
    - Visual inspection
    - Gross leak testing
    - Vacuum leaks

- Dye penetration
- Scuff testing
- Material testing





#### Definitions – Qualitative Testing (cont'd.)

- Qualitative Testing
  - Examples
    - Gross Leak Testing (ASTM F2096)
      - Identify the presence of gross leaks





YouTube: Gross Leak Testing per ASTM F2096



#### Definitions – Qualitative Testing (cont'd.)

- Qualitative Testing
  - Examples
    - Dye Penetration Testing (ASTM F1929 and F3039)
      - Identify the presence of channel leaks





YouTube: Dye Penetration Testing per ASTM F1929



#### Definitions – Qualitative Testing (cont'd.)

- Quantitative Testing
  - Test to identify whether a particular criteria is present.
  - Data that can be measured.
  - Examples
    - Seal strength testing
    - Burst testing



- Tensile testing
- Compression testing Tape adhesion testing



### **Definitions – Quantitative Testing**

- Quantitative Testing
  - Examples
    - Seal Strength Testing (ASTM F88)
      - Determine Peel Separation Force
        - » Collect Mean, Standard Deviation, Max, Min



YouTube: Seal Testing per ASTM F88



#### Definitions – Quantitative Testing (cont'd.)

- Quantitative Testing
  - Examples
    - Burst Testing (ASTM F2054)
      - Determine Burst Force
        - » Collect Mean, Standard Deviation, Max, Min



YouTube: Burst Testing per ASTM F2054



# Solution Case Study #1

- Dye Penetration Testing (Qualitative)
  - Defects and leaks in the seal area are observed by the test operator as an accept/reject criteria; zero defects are allowed.
    - For 95% confidence and 90% reliability, a samples size of 29 samples to be dye tested would be necessary.







YouTube: Dye Penetration Testing per ASTM F1929

## Solution Case Study #1 (cont'd.)

- Seal strength testing (Quantitative)
  - The peel test measures the peak force required to separate a pouch seal.
  - The mean peel strength for a new pouch seal needs to be a minimum of 4N to ensure a sterile barrier.
  - The risk is determined to be major requiring a confidence level of 95% with a reliability of 90%.
  - Data from the packaging qualification showed that the standard deviation was 0.5N with a mean of 4.5N.

Question: What is the sample size for the package validation study to show that the mean peel strength is a minimum of 4N?



## Solution Case Study #1 (cont'd.)

- Seal strength testing (Quantitative)
  - The approach would be as follows:
    - One-Sided or Two-Sided: 1
    - Type I Error: 95%
    - Type II Error: 90%
    - Standard Deviation of Sample: 0.5
    - Difference to be Detected: 0.5



YouTube: Seal Strength Testing per ASTM F88

Answer: A sample consisting of 9 peel strength tests would be needed to have 95% confidence that if the true mean peel strength was less than 4N it would be detected 90% of the time.



# Solution Case Study #2

- Commonly seen Sample Size quantities
   Gross leak testing 59 samples
  - Qualitative



Seal strength testing – 30 samples

• Quantitative





## Solution Case Study #2 (cont'd.)

- Gross leak testing 59 samples
  - 95% confidence and 95% reliability



YouTube: Gross Leak Bubble Test per ASTM F2096



## Solution Case Study #2 (cont'd.)

- Seal strength testing 30 samples
  - 95% confidence and 90% reliability
    - Go / No-Go Testing





YouTube: Seal Strength Testing per ASTM F88



## Solution Case Study #2 (cont'd.)

 Question: How many samples would be needed if 99% confidence and 99% reliability is required?

#### Answer: 459 samples





## Case Study – Wrap Up

- Seal strength testing
  - If it is a continuous characteristic, then depending on the standard deviation and delta (difference to detect), the confidence and reliability can change.







# **Statistics Overview**

- Introduction
- Sampling Error
- Sample Size Calculations
  - Based on the Individual Values
  - Go/No-Go
  - ANSI Z1.4
  - Square Root of N + 1





### Introduction

- Decisions are often based on our analysis of a sample.
- How we conduct a sample is very important.
  - Want:
    - Minimize bias
    - Sample reflects the characteristics of the lot or batch
    - Economical sample size





## Sampling Error

- Sampling has inherent risks and potential error.
- The number of samples should be sufficient to minimize the risks.
- Cost versus benefit

	Reality		
Decision		Accept	Reject
	Accept	Correct Decision	Type II Error (β) Consumer Risk
	Reject	Type I Error (α) Producer Risk	Correct Decision



## Sample Size for Individual Values

- Can develop sample sizes for individual values instead of the mean.
- Requires a confidence level and percent of future values expected to be in the interval (coverage or reliability).
- This approach is for all future observations (beta-content approach)

$$\mathbf{X} + k * S < U$$

$$\mathbf{X} - k * S > L$$

 Two-sided tolerance limits for normal populations-Some improvements. Howe, W. G. 1969, Journal of the American Statistical Association, Vol. 64, pp. 610-620)



#### Example

- How large a sample do I need to have 95% confidence with 95% reliability for a mean of 10.0 and standard deviation of 0.55?
- The specification are 8.5 to 12.0

10 - k \* 0.55 > 8.5

k = 2.727

- Since the mean is closest to the lower specification
- Sample size is approximately 21



### Compared with a Mean

• We collected 20 results

- Mean = 95.7
- Std Dev. = 2.4
- LSL = 90
- Min = 92
- Max= 99





## Which is Right?

- Want to test if the **MEAN** is greater than 90.
  - The 95% Lower Bound on 95.1 is 94.8. This implies if we sample 20 units from a population whose mean is 95.7 with SD=2.4, the average will be greater than 94.8; 95% of the time.
- Want to test if the <u>INDIVIDUAL</u> values are greater than 95.
  - The Lower Bound with 95% confidence and 99% coverage (reliability) is 87.9. This implies if we sample 20 units from a population whose mean is 95.7 with SD=2.4, 99% of the individual values would be greater than 87.9 with 95% confidence.



## Which is Right? (cont'd.)

• The mean of 20 results would meet the specification.

• A sample of 20 results would have individual samples that would fail.

• Must be careful to specify what is the reportable value for the testing.



#### Attribute Sampling Plans When All Units Pass

• At 95% Confidence and 90% Reliability

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$$n = \frac{\ln(1 - Confidence)}{\ln(Reliability)} = \frac{\ln(1 - 0.95)}{\ln(0.90)} = 28$$
  
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• Z1.4 is a standard developed for incoming inspection where the attribute is pass/fail.

• ANSI Z1.4 system is a collection of sampling plans with switching rules.

• Plans are intended primarily to be used for a continuing series of lots or batches.



### **Attribute Sampling Plans**

- AQL: Acceptable Quality Level "is the maximum percent nonconforming (or the maximum number of nonconformities per hundred units) that, for purposes of sampling inspection, can be considered satisfactory as a process average." §4.2
- Note: AQL is not lot or batch specific but rather a process average.
- AQL is stated in the standard as a percent: an AQL = 0.15 is a rate of 0.15 nonconforming units per 100 units or 0.15%.





- There is no known statistical justification for the use of the 'square root of N plus one' sampling plan.
- "Despite the fact that there is no statistical basis for a 'square root of n plus one' sampling plan, most firms utilize this approach for incoming raw materials."

– Henson, E., A Pocket Guide to CGMP Sampling, IVT.



### **Compare the Plans**

#### ANSI/ASQ Z1.4

- Lot Size N=1000
- Sample size n=32
- Acceptance Ac=0
- Rejection Re=1
- AQL=0.160%
- LQ = 6.94%

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#### Square root N plus one

- Lot Size N=1000
- Sample size n=33
- Acceptance Ac=0
- Rejection Re=1
- AQL=0.153%
- LQ = 6.63%

### References

- H. Saranadasa, "The Square Root of N Plus One Sampling Rule: How Much Confidence Do We Have?" *Pharm. Technol.* 27 (5), 50 (2003).
- American Society for Quality (ASQ), ANSI/ASQ Z1.4-2008 (Milwaukee, WI, 2008).
- W. Taylor, *Guide to Acceptance Sampling* (Taylor Enterprises, Inc, Lake Villa, IL, 1992).
- Zero Acceptance Number Sampling Plans, 5th edition, by Nicholas Squeglia
- Howe, W. G. 1969, Journal of the American Statistical Association, Vol. 64, pp. 610-620)







#### More Questions Later? Need a Quote?

#### RELIABILITY

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Need Statistics Help? Contact Steven Walfish at Statistical Outsourcing Solutions <u>www.statisticaloutsourcingservices.com</u>



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